|  | The Bodwad Sarvajanik Co-Op. Education Society Ltd., Bodwad <br> Arts, Commerce and Science College Bodwad <br> Question Bank |  |
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| Sr. No. | Questions | Ans |
| 1. | If $V$ is a vector space over field $F$, then the elements of $V$ are called $\qquad$ <br> (A) scalars <br> (C) rationals <br> (B) vectors <br> (D) unit | B |
| 2. | ) If $V$ is a vector space over field $F$, then for $x, v \in V, \alpha \in F$ i) $x+y \in V$, ii) $\alpha x \in V$ <br> (A) Only i) is true <br> (B) Only il) is true <br> (C) Both are true <br> (D) Both are not true | C |
| 3. | If $V(F)$ is a vector space then $(V,+)$ is $\qquad$ <br> (A) Ring <br> (B) non abelian Ring <br> (C) simple Ring <br> (D) None of these D | D |
| 4. | A non-empty set $V$ is be vector space then $\qquad$ <br> (A) $a v=V$ <br> (B) $a v \notin V$ <br> (C) $a v \neq V$ <br> (D) None of these D | D |
| 5. | $\{0\}$ and $(F)$ are $\qquad$ subspaces of a vector space $V F$. <br> (A) no <br> $t(B)$ trivial <br> (C) non-trivial <br> (D) None of these | B |
| 6. | If $U=(3,1,0,-4)$ and $V=(-1,2,1,4)$ be vectors of $R^{4}(R)$ then $U+3 V=$ $\qquad$ <br> (A) $(5,4,2,1)$ <br> (B) $(0,7,3,8)$ <br> (C) $(1,-2,1,-4)$ <br> (D) $(5,4,1,-4)$ | B |


| 7. | If $U=(1,2,1,2)$ and $V=(0,1,-1,4)$ be vectors of $R^{4}(R)$ then $2 U-V=$ $\qquad$ <br> (A) $(2,3,3,0)$ <br> (B) $(0,-1,3,2)$ <br> (C) $(2,3,3,0)$ <br> (D) $(5,4,1,-4) \mathrm{A}$ | A |
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| 8. | If $U=(2,1,3)$ and $V=(3,2,1)$ be vectors of $R^{3}(R)$ then $U+2 V=$ $\qquad$ <br> (A) $(5,4,2)$ <br> (B) $(0,7,3)$ <br> (C) $(8,6,5)$ <br> (D) $(8,5,5)$ | D |
| 9. | $U=\{, b, c: a \geq b\}$ is $\qquad$ of $R^{3} R$. <br> (A) subspace <br> (B) scalar <br> (C) not a subspace <br> (D) None of these C | C |
| 10. | Union of two subspaces is $\qquad$ <br> (A)subspace <br> (B) Need not a subspace <br> (C) always empty set <br> (D) None of these | B |
| 11. | If $V$ is a vector space over $F$ then $\{0\}$ is $\qquad$ <br> (A) linearly dependent <br> (B) linearly independent <br> (C) Scale <br> (D) None of these A | A |
| 12. | If $V$ is a vector space over $F$ and $v \in V$ then $\{v\}$ is linearly independent if $\qquad$ <br> (A) $v=$ infinity <br> (B) $v$ is non zero <br> (C) $v$ is equal to zero <br> (D) None of these B | B |
| 13. | Superset of linearly dependent set is $\qquad$ <br> (A) linearly independent <br> (B) linearly dependant <br> (C) not defined <br> (D) infinite set | B |


| 14. | The system of vectors( $1,1,2$ ), $(-1,2,3),(1,2,4)$ is $\qquad$ <br> (A) linearly independent <br> (B) Basis of $R 4$ <br> (C) linearly dependant <br> (D) None of these | A |
| :---: | :---: | :---: |
| 15. | The system of vectors( $2,1,2$ ) , ( $-1,4,3$ is $\qquad$ <br> (A) linearly independent <br> (B) Basis of $R 3$ <br> (C) linearly dependant <br> (D) None of these $A$ | A |
| 16. | Let $S=\{2,3,1,1,3,5\}$ then $S$ is <br> (A) Linearly independent set <br> (B) Linearly dependant set <br> (C) Basis <br> (D) None of these B | B |
| 17. | The system of two vectors $(1,2),(2,4)$ is $\qquad$ <br> (A) linearly independent <br> (B) Basis of $R 4$ <br> (C) linearly dependant <br> (D) None of these C | C |
| 18. | The system of vectors $\{(1,1,2),(0,0,0),(1,2,4)$ is $\qquad$ <br> (A) linearly independent <br> (B) Basis of $R$ <br> (C) linearly dependant <br> (D) None of these C | C |
| 19. | If the set contains $\qquad$ then it is linearly dependant. <br> (A) unit vector <br> (B) zero vector <br> (C) constant vector <br> (D) None of these B: $v \in$ | B |
| 20. | ) Standard Basis of $\mathbb{R}^{2}$ is $\qquad$ <br> (A) $\{1,0,(1,0)\}$ <br> (B) $\{1,0,1,1\}$ <br> (C) $\{1,0,0,1,0,0,0,0,1)\}$ <br> (D) $\{1,0,0,1,0,1,(0,0,1)\}$ <br> A | A |
| 21. | ) If $W$ is a subspace of a vector space $V(F)$ then $\frac{v}{w}=$ $\qquad$ <br> (A) $\{w+V: w \in W\}$ <br> (B) $\{w V: w \in W\}$ <br> (C) $\{v W: v \in V\}$ <br> (D) $\{v+W: v \in V\}$ | D |


| 22. | If $V(F)$ is a vector space and $S$ is non-empty subset of $V$ then $L(L(S))=$ $\qquad$ <br> (A) $V$ <br> (B) $S$ <br> (C) $V(S)$ <br> (D) $L(S)$ | D |
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| 23. | Let $V(F)$ be a vector space and $S$ be basis of $V$ then $L(S)=$ $\qquad$ <br> (A) $S$ <br> (B) $V$ <br> (C) $\varnothing$ <br> (D) None of these B | B |
| 24. | If $F$ is field then $F x$ is $\qquad$ vector space over $F$. <br> (A) Alway s <br> (B) May be <br> (C) Never <br> (D) None of these A | A |
| 25. | If $S$ is basis of $V(F)$ then number of elements in $F$ is called $\qquad$ <br> (A) dimension of $V$ <br> (B) dimension of $F$ <br> (C) dimension of $S$ <br> (D) None of these D | D |
| 26. | If $S$ is basis of $V(F)$ then number of elements in $V$ is called $\qquad$ <br> (A) dimension of $V$ <br> (B) dimension of $F$ <br> (C) dimension of $S$ <br> (D) None of these D | D |
| 27. | If $S$ is basis of $(F)$ then number of elements in basis of $V$ is called $\qquad$ <br> (A) dimension of $V$ <br> (B) dimension of $F$ <br> (C) dimension of $S$ <br> (D) None of these A | A |
| 28. | If $S$ is finite subset of vector space $V(F)$ such that $L S=V$ then Basis of $V$ $\qquad$ <br> (A) does not exists <br> (B) exists <br> (C) Cannot say exists <br> (D) None of these B | B |
| 29. | If $V=W 1 \oplus W 2$ then $\operatorname{dim}(W 1 \cap W 2)$ is $\qquad$ <br> (A) zero <br> (B) non-zero <br> (C) not defined <br> (D)Non of these | A |


| 30. | If $A \cap B=\emptyset$ then $\operatorname{dim} A+B=$ $\qquad$ <br> $(\mathrm{A}) \operatorname{dim} A-\operatorname{dim} \quad(B)(\mathrm{B}) \operatorname{dim} A+\operatorname{dim} \quad(B)(\mathrm{C}) \operatorname{dim}(A B)$ <br> (D) none of these $B$ | B |
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| 31. | Dimension of a vector space $R^{n}$ over $R$ is $\qquad$ <br> (A) $\infty$ <br> (B) 0 <br> (C) 1 <br> (D) $n \mathrm{D}$ | D |
| 32. | In an $n$-dimensional vector space, each set consisting of $(n+1)$ or more vectors is <br> (A) a basis <br> (B) linearly independent <br> (C) linearly dependent <br> (D) None of these C | C |
| 33. | If $\operatorname{dim} V=n$ then the number of vectors in basis on $V$ are $\qquad$ <br> (A) 0 <br> (B) $n$ <br> (C) $k . n$ <br> (D) $\infty B$ | B |
| 34. | Linear span of $S$ is $\qquad$ subspace of vector space $V$ containing $S$. <br> (A) Smallest <br> (B) Largest <br> (C) Empty <br> (D) None of these A | A |
| 35. | The system of three vectors $0,2,0,0,0,2,(2,0,0)$ is $\qquad$ of $R^{3}(R)$ <br> . (A) linearly dependent set <br> (B) Basis <br> (C) not span set <br> (D) None of these B | B |
| 36. | If $(1,1,1)$ is linearly independent vector then the basis of $\mathbb{R}^{3}(\mathbb{R})$ that contains this vector is <br> (A)( $1,1,1$ ) , (1,0,1, $(2,2,2)$ <br> (B) $(1,1,1),(1,0,1),(2,0,2$ <br> (C) $(1,1,1),(0,0,1)$, $(0,1,0) \quad(D)(1,0,0),(0,0,1),(0,1,0)$ | C |
| 37. | If $(1,1)$ is linearly independent vector then the basis of $\mathbb{R} 2(\mathbb{R})$ that contains this vector is <br> (A)( 1,1 ), $(2,2),(3,2)$ <br> (B) $(1,1,(0,1)$ <br> $(C)(1,0),(3,1)$, <br> (D) (1,0) , (0,1 | B |


| 38. | If $W$ is subspace of a finite dimensional vector space $V$ then, $\operatorname{dim} \frac{v}{w}=$ $\qquad$ <br> (A) $\operatorname{dim} V-\operatorname{dim}(W)$ <br> (B) $\operatorname{dim} V+\operatorname{dim}(W)$ <br> (C) $\operatorname{dim} W-\operatorname{dim}(V)$ <br> (D) $\operatorname{dim}(V)$ | A |
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| 39. | Standard basis of $R 4$ is $\qquad$ <br> (A) $(1,0,0,0),(0,1,0,0),(0,1,1,0),(0,0,0,1)$ <br> (B) $(1,0,0,0),(0,0,1,0),(0,0,2,0)$, <br> (1,1,0,0) <br> (C) $1,0,0,0,1,1,0,0,(1,1,1,0),(1,0,0,1)$ <br> (D) ( 0,0,0,1) , (0,1,0,0 ), (1,0,0,0), $(1,0,0,0)$ | D |
| 40. | The set of polynomials in $P 2[x], 1+x+2 x^{2} x 2,2-x-2 x^{2}, 4+5 x+x^{2}$ are $\qquad$ <br> (A) Linearly independent <br> (B) Linearly dependant <br> (C) All constants <br> (D) None of these A | A |
| 41. | The set of polynomials in $P 2[x], 1+x+2 x^{2} 2,2+3 x-x^{2}, 2+2 x+4 x^{2}$ are $\qquad$ <br> (A) Linearly independen <br> (B) Linearly dependant <br> (C) All constants <br> (D) None of these B | B |
| 42. | If $V$ is a finite dimensional vector space and $S, T$ are two finite subsets of $V$ such that $S$ spans $V$ and $T$ is linearly independent set then, <br> (A) $O(S)=O(T)$ <br> (B) $O(T) \leq O(S)$ <br> (C) $O(S) \geq O(T)$ <br> (D) None of these | B |
| 43. | If $S$ and $T$ both are bases of a finite dimensional vector space $V(F)$ then, <br> (A) $O(S)=O(T)$ <br> (B) $O(T) \leq O(S)$ <br> (C) $O(S) \geq O(T)$ <br> (D) None of the | A |


| 44. | If $A$ and $B$ are two subspaces of a finite dimensional vector space $V(F)$ then $\operatorname{dim}(A+B)+$ $\operatorname{dim} \square(A \cap B)=$ $\qquad$ <br> (A) $\operatorname{dim}(A)+\operatorname{dim}(B)$ <br> (B) $\operatorname{dim} A-\operatorname{dim} B$ <br> (C) $\operatorname{dim} A / \operatorname{dim} B$ <br> (D) None of these A | A |
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| 45. | The system of three vectors (1,1,2),(0,1,1), (1,2,3) is $\qquad$ set of $R^{3}(R)$ <br> (A) linearly independent <br> (B) linearly dependant <br> (C) Basis <br> (D) None of these B | B |
| 46. | Let $V(F)$ be a vector space, a subset $S$ of $V$ is said to be basis if $\qquad$ <br> (A) $S$ is linearly dependant and $L(S)=V$ <br> (B) $S$ is linearly independent and $L(S) \neq$ V <br> (C) $S$ is linearly dependant and $L(S) \neq V$ <br> (D) None of these | D |
| 47. | The co-ordinate vector of $v=((3,5,-2)$ with respect to standard basis is $\qquad$ <br> (A) $(-2,5,3)$ <br> (B) $(3,5,-2)$ <br> (C) $(-3,-5,2)$ <br> (D) None of these | B |
| 48. | If $\operatorname{dim} V=n$ and $S=\{v 1, v 2, \ldots, v n\}$ is linearly independent set then, $S$ is $\qquad$ of $V$. <br> (A) Basis <br> (B) linearly dependent set <br> (C) superset <br> (D) None of these A | A |
| 49. | Row Echelon form of matrix $A=1123$ is $\qquad$ <br> (A) ) $\left[\begin{array}{ll}1 & 1 \\ 0 & 2\end{array}\right]$ <br> (B) ) $\left[\begin{array}{ll}1 & 0 \\ 0 & 4\end{array}\right]$ <br> (C) $\left.\left\lvert\, \begin{array}{ll}1 & 1 \\ 0 & 4\end{array}\right.\right\rceil$ <br> (D) $\left.\left\lvert\, \begin{array}{ll}1 & 0 \\ 0 & 2\end{array}\right.\right\rceil$ | C |


| 50. | Row Echelon form of matrix $A=1-122$ is $\qquad$ <br> (A) $\left[\begin{array}{cc}1 & -1 \\ 0 & 2\end{array}\right]$ <br> (B) $\left[\begin{array}{cc}1 & -1 \\ 0 & 4\end{array}\right]$ <br> (C) ) $\left[\begin{array}{ll}1 & 1 \\ 0 & 4\end{array}\right]$ <br> (D) $\left[\begin{array}{ll}1 & 1 \\ 0 & 2\end{array}\right]$ | B |
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| 51. | Let $T$ be linear transformation on $\mathbb{R}^{3}$ defined by $T(x, y, z)=(3 x, x-y, 2 x+y+z)$ Then, $\qquad$ <br> (A) $T$ is invertible <br> (B) $T$ is not invertible <br> (C) $T$ is constant <br> (D) None of these $A$ | A |
| 52. | Let, $T: U F \longrightarrow V(F)$ be a linear transformation then ker $(V)$ is $\qquad$ <br> (A) subspace of $U(F)$ <br> (B) subspace of $V(F)$ <br> (C) Not defined <br> (D) None of these C | C |
| 53. | If $T: V \rightarrow V$ is a linear transformation the <br> (A) $T$ is one-one <br> (B) $T$ is onto <br> (C) $T u+v=T u+T(v)$ <br> (D) All of above C | C |
| 54. | Let, $T: U F \longrightarrow V(F)$ be a linear transformation then Range $(T)$ is $\qquad$ <br> (A) subspace of $U(F)$ <br> (B) subspace of $V(F)$ <br> (C) Not defined <br> (D) None of these B | B |
| 55. | Let $F: V \rightarrow W$ and $G: U \rightarrow V$ which of the following may not exists. <br> (A) $F \circ G$ <br> (B) $G \circ F$ <br> (C) $2 F$ <br> (D) $3 G$ | B |
| 56. | Let, $T: U F \longrightarrow V(F)$ be a vector isomorphism then, <br> (A) $U \neq V$ <br> (B) $\operatorname{dim} U=\operatorname{dim} V$ <br> (C) $\operatorname{dim} U \neq \operatorname{dim}(V)$ <br> (D) None of these | B |

