

<p style="text-align: center;">The Bodwad Sarvajanic Co-Op. Education Society Ltd., Bodwad</p> <p style="text-align: center;">Arts, Commerce and Science College Bodwad</p> <p style="text-align: center;"><u>Question Bank</u></p> <p>Class:- FYBSc Sem:- II</p> <p>Subject: Theory Of Equations Paper Name:-MTH202</p>		
Sr.No.	Questions	Ans
1	If a, b are integers and $a b$ and $b c$ then $a c$. a) True b) False	A
2	If a, b are integers and $a b$ and $b a$ then $a = \pm b$. a) True b) False	A
3	If a, b are integers and $a b$ and $a c$ then $a (b + c)$. a) False b) True	B
4	If p is prime and a, b are integers $s \neq p a b$ then $p a$ or $p b$ a) True b) False	A
5	$\sqrt{13}$ is not rational number. a) True b) False	A
6	$\sqrt{17}$ is not rational number. a) True b) False	A
7	$1 + 3 + 5 + \dots + (2n - 1) = ?$ a) n b) n^{22} c) n^3 d) n^2	D
8	An expression $a_0 + a_1x + a_2x^2 + \dots + a_n x^n$ represents polynomial in x . If degree n for integer value $n \geq 0$ A)True B)False	A
9	Which is example of polynomial? a)25 b) $\frac{5}{x}$ c) x^{-2} d) None of these	A
10	Which is non example of polynomial? a) $x + x^2$ b) x^4 c) 6 d) $x^{-1} + 7$	D

11	Statement of Descartes' rule of signs for positive Roots of $f(x) = 0$. Is given by No equation $f(x) = 0$ can have more positive roots than it has changes of signs from + to -, and from - to + in terms of the first term. A) True B) False	A
12	Statement of Descartes' rule of signs for negative roots of $f(x)$. No equation $f(x) = 0$ can have more negative roots than the number of changes in signs from positive to negative and from negative to positive in the terms of $f(-x)$. A) True B) False	A
13	consider the equation $f(x) \equiv x^3 - 6x^2 + 11x - 6 = 0$ The number of changes in signs =? A) 0 B) 1 C) 3 D) 4	C
14	consider the equation $f(x) \equiv x^3 - 6x^2 + 11x - 6 = 0$ equation can not have more than positive roots. A) 0 B) 3 C) 1 D) 2	B
15	$f(x) \equiv x^3 - 6x^2 + 11x - 6 = 0$ The given equation $f(x) = 0$ can not have negative root. A) True B) False	A
16	Let $f(x) \equiv x^4 - 9x^2 + 4 = 0$ The number of changes in signs =? A) 0 B) 1 C) 2 D) 3	C
17	Let $f(x) \equiv x^4 - 9x^2 + 4 = 0$. The given equation can not have more than two positive roots. A) True B) False	A
18	Every nonempty subset of \mathbb{N} has a element 0 B) Greatest C) Least D) None of these	C
19	Let $P(n)$ be the statement for $n \in \mathbb{N}$, such that i) $P(1)$ is true, ii) $P(r)$ is true $\forall r < m \Rightarrow P(m)$ is true Then $P(n)$ is true for all $n \in \mathbb{N}$ is the statement of A) First principle of finite induction B) Second principle of finite induction C) Generalized form of first principle of finite induction D) None of These	B
20	$1+2+3+ \dots + n = \dots$ A) $\frac{n(n+1)(2n+1)}{6}$ B) n^2 C) $\frac{n(n+1)}{2}$ D) None of these	C
21	$1^2+2^2+3^2+ \dots + n^2 = \dots$	A

	<p>B) $f(-x)$ C) $-f(x)$ D) None of these</p>	
40	<p>If $f(x)=x^2+4x-1$ Then</p> <p>A) $f(-x)=x^2-4x-1$ B) $f(-x)=x^2-4x+1$ C) $f(-x)=x^2+4x+1$ D) $f(-x)=-x^2-4x-1$</p>	A
41	<p>When looking for possible negative roots, we need to look at...</p> <p>A) $f(x)$ B) $f(-x)$ C) $-f(x)$ D) None of these</p>	B
42	<p>What information does Descartes' Rule of Signs provide?</p> <p>(A) How many solutions to expect (B) What kind of solutions to expect (positive, negative, imaginary) (C) Possible rational solutions to expect (D)None of these</p>	B
43	<p>The Descartes' rule mainly focuses on</p> <p>(A) Signs of the zeroes of an equation (B) Degree of the equation (C) Differentiation (D)None of the above</p>	A
44	<p>To remove the second term from the equation $a_0x^n + a_1x^{n-1} + \dots + a_{n-1}x^{n-1} + a_n = 0$ diminish the roots by $h = ?$</p> <p>A) $\frac{-a_1}{na_0}$ B)0 C) $\frac{a_1}{na_0}$ D)none of these</p>	A
45	<p>To remove the second term from the equation $x^4 - 8x^3 + x^2 - x + 3 = 0$ diminish the roots by $h = ?$</p> <p>A) 1 B)4 C)10 D)2</p>	D
46	<p>To remove the second term from the equation $x^4 - 8x^3 + 25x - 10 = 0$ diminish the roots by $h = ?$</p> <p>A) 1 B)4 C)-1 D)2</p>	C

47	To remove the second term from the equation $x^3 - 3x^2 + 12x - 4 = 0$ diminish the roots by $h = ?$ A) 1 B)4 C)-1 D)100	A
48	Carden's method is useful for solving the cubic equation A)True B)False	A
49	Descarte's Method is useful for solving the biquadratic equations A)True B)False	B
50	To remove the second term from the equation $x^3 + 6x^2 + 9x + 4 = 0$ diminish the roots by $h = ?$ A) 1 B)4 C)-1 D)-2	D
51	To remove the second term from the equation $x^3 - 15x^2 - 33x + 847 = 0$ diminish the roots by $h = ?$ A) 1 B)4 C)-1 D)5	D
52	To remove the second term from the equation $x^3 - 6x^2 + 9x + 4 = 0$ diminish the roots by $h = ?$ A) 2 B)4 C)-1 D)-2	A
53	If a,b,c are roots of cubic polynomial Then following is symmetric function A)a+b B) a^2 C)a-b D)None of these	D
54	If a,b,c are roots of cubic polynomial Then following is symmetric function A)a+b B) a^2 C)a+b+c D)None of these	C
55	If a,b,c are roots of cubic polynomial Then following is symmetric function A)a+b B) a^2 C)a-b+c D)None of these	D
56	If a,b,c are roots of cubic polynomial Then following is symmetric function A)a+b B)ab+bc+ca C)a-b+c D)None of these	B
57	If a,b,c are roots of cubic polynomial Then following is symmetric function A)a+b B)ab-bc+ca C)a-b+c D)None of these	D
58	If a,b,c are roots of cubic polynomial Then symmetric function $\sum a^2$ represents A) $a^2 + b^2 + c^2$ B) a+b+c C) $a^2 - b^2 + c^2$ D) $a^2 + b^2$	A
59	If a,b,c are roots of cubic polynomial Then following is symmetric function $\sum ab$ represents A)a+b B)ab+bc+ca C)a-b+c D)None of these	B
60	If a,b,c are roots of cubic polynomial Then following is symmetric function $\sum abc$ represents A)a+b B)ab+bc+ca C)abc D)None of these	C
61	The equation whose roots are negatives of the roots of $x^6 + 5x^3 - 7x^2 + 4x - 8 = 0$ is given by $x^6 - 5x^3 - 7x^2 - 4x - 8 = 0$ A)True B)False	A

62	The equation whose roots are negatives of the roots of $x^6 - 5x^3 - 7x^2 + 4x - 8 = 0$ is given by $x^6 - 5x^3 - 7x^2 - 4x - 8 = 0$ A)True B)False	B
63	The equation whose roots are negatives of the roots of $x^6 - 5x^3 - 7x^2 + 4x - 8 = 0$ is given by $x^6 + 5x^3 - 7x^2 - 4x - 8 = 0$ A)True B)False	A
64	The equation whose roots are negatives of the roots of $x^7 + 4x^5 - 8x^3 + 6x^2 - 11x + 13 = 0$ is given by A) $x^7 + 4x^5 - 8x^3 - 6x^2 - 11x - 13 = 0$ B) $x^7 + 4x^5 - 8x^3 + 6x^2 - 11x + 13 = 0$ C) $11x^7 + 4x^5 - 8x^3 + 6x^2 - 11x + 13 = 0$ D)none of these	A
65	The equation whose roots are negatives of the roots of $x^6 + 5x^3 - 7x^2 + 4x - 8 = 0$ is given by A) $x^6 + 5x^3 - 7x^2 + 4x + 8 = 0$ B) $x^6 - 5x^3 - 7x^2 - 4x - 8 = 0$ C) $x^6 + 15x^3 - 7x^2 + 4x + 8 = 0$ D) $x^6 + 5x^3 - 7x^2 + 4x + 18 = 0$	B
66	The equation whose roots the reciprocals of the roots are of $3x^4 + 4x^3 - 7x^2 + 5x - 1 = 0$ is given by A) $x^4 + 4x^3 - 7x^2 + 5x - 1 = 0$ B) $x^4 + 5x^3 - 7x^2 + 4x + 1 = 0$ C) $-x^4 + 5x^3 - 7x^2 + 4x + 1 = 0$ D) $-x^4 - 5x^3 - 7x^2 + 4x + 1 = 0$	C
67	The equation whose roots the reciprocals of the roots are of $x^3 + 5x^2 - 7x + 8 = 0$ is given by A) $8x^3 - 7x^2 + 5x + 8 = 0$ B) $8x^3 + 7x^2 + 5x + 1 = 0$ C) $x^3 + 5x^2 - 7x + 8 = 0$ D) $8x^3 - 7x^2 + 5x + 1 = 0$	D
68	The equation whose roots the reciprocals of the roots are of $39x^3 + 17x^2 - 13 = 0$ is given by A) $3x^3 + 7x^2 - 39 = 0$ B) $13x^3 + 7x^2 - 13 = 0$ C) $13x^3 + 17x^2 - 3 = 0$ D) $13x^3 - 17x^2 - 39 = 0$	D

69	<p>The equation whose roots the reciprocals of the roots are of $x^4 + 39x^3 + 17x^2 - 13 = 0$ is given by</p> <p>A) $3x^3 + 7x^2 - 39 = 0$ B) $13x^3 + 7x^2 - 13 = 0$ C) $13x^3 + 17x^2 - 3 = 0$ D) $-13x^4 + 17x^3 + 39x + 1 = 0$</p>	D
70	<p>The equation whose roots are Three times the roots of $3x^4 - 4x^3 + 4x^2 - 2x + 1 = 0$ is given by</p> <p>A) $3x^4 - 12x^3 + 36x^2 - 54x + 81 = 0$ B) $3x^4 - 4x^3 + 4x^2 - 2x + 1 = 0$ C) $3x^4 - 12x^3 + 36x^2 - 54x + 1 = 0$ D) $x^4 - 12x^3 + 36x^2 - 54x + 81 = 0$</p>	A
71	<p>The equation whose roots are Three times the roots of $x^4 - 4x^3 + 4x^2 - 2x + 1 = 0$ is given by</p> <p>A) $x^4 - 12x^3 + 36x^2 - 54x + 81 = 0$ B) $3x^4 - 4x^3 + 4x^2 - 2x + 1 = 0$ C) $3x^4 - 12x^3 + 36x^2 - 54x + 1 = 0$ D) $3x^4 - 12x^3 + 36x^2 - 54x + 81 = 0$</p>	A
72	<p>The equation whose roots are Two times the roots of $x^4 - 4x^3 + 4x^2 - 2x + 1 = 0$ is given by</p> <p>A) $x^4 - 8x^3 + 16x^2 - 16x + 16 = 0$ B) $3x^4 - 4x^3 + 4x^2 - 2x + 1 = 0$ C) $3x^4 - 12x^3 + 36x^2 - 54x + 1 = 0$ D) $3x^4 - 12x^3 + 36x^2 - 54x + 81 = 0$</p>	A
73	<p>The equation whose roots are Two times the roots of $x^4 + 4x^3 + 4x^2 - 2x + 1 = 0$ is given by</p> <p>A) $x^4 + 8x^3 + 16x^2 - 16x + 16 = 0$ B) $3x^4 - 4x^3 + 4x^2 - 2x + 1 = 0$ C) $3x^4 - 12x^3 + 36x^2 - 54x + 1 = 0$ D) $3x^4 - 12x^3 + 36x^2 - 54x + 81 = 0$</p>	A
74	<p>The equation whose roots are four times the roots of $x^3 + x^2 + 1x + 1 = 0$ is given by</p> <p>A) $3x^4 - 12x^3 + 36x^2 - 54x + 81 = 0$ B) $3x^4 - 4x^3 + 4x^2 - 2x + 1 = 0$ C) $3x^4 - 12x^3 + 36x^2 - 54x + 1 = 0$ D) $x^3 + 4x^2 + 16x + 64 = 0$</p>	D
75	<p>The equation whose roots are five times the roots of $x^3 + x^2 + x + 1 = 0$ is given by</p>	D

	<p>A) $3x^4 - 12x^3 + 36x^2 - 54x + 81 = 0$ B) $3x^4 - 4x^3 + 4x^2 - 2x + 1 = 0$ C) $3x^4 - 12x^3 + 36x^2 - 54x + 1 = 0$ D) $x^3 + 5x^2 + 25x + 125 = 0$</p>	
76	<p>The equation whose roots are five times the roots of $x^3 - x^2 - x + 1 = 0$ is given by A) $3x^4 - 12x^3 + 36x^2 - 54x + 81 = 0$ B) $3x^4 - 4x^3 + 4x^2 - 2x + 1 = 0$ C) $3x^3 - 5x^2 - 25x + 125 = 0$ D) $x^3 + 5x^2 + 25x + 125 = 0$</p>	C
77	<p>$\sqrt{7}$ is [A] not rational number [B] rational number [C] integer [D] None of These</p>	B
78	<p>If $f(x) = a_0 + a_1x + a_2x^2 + a_3x^3 \dots + a_nx^n$ with $a_n \neq 0$ is called of degree n. [A] polynomial [B] equation [C] linear equation [D] None of these</p>	A
79	<p>If $f(x) = a_0 + a_1x + a_2x^2 + a_3x^3 \dots + a_nx^n$ with $a_n = 1$ is called polynomial of degree n. [A] quadratic [B] monic [C] linear [D] None of these</p>	B
90	<p>If $f(x) = a_0 + a_1x + a_2x^2 + a_3x^3 \dots + a_nx^n$ is polynomial, then its constant term is [A] a_0 [B] a_1 [C] a_n [D] None of these</p>	A
91	<p>A polynomial of degree 2 is called polynomial. [A] linear [B] quadratic [C] cubic [D] None of these</p>	B
92	<p>Two polynomials $f(x) = a_0 + a_1x + a_2x^2 + a_3x^3 \dots + a_mx^m$ and $g(x) = b_0 + b_1x + b_2x^2 + b_3x^3 \dots + b_nx^n$ in $Q[x]$ are equal if</p>	A

	[A] $a_i = b_i \forall i$ and $m = n$ [B] $a_i = b_i \forall i$ and $m \neq n$ [C] $a_i \neq b_i$ [D] None of these	
93	If $f(x) = a_0 + a_1x + a_2x^2 + a_3x^3 \dots + a_nx^n$ with $a_n \neq 0$ is called ... of degree n. [A] polynomial [B] equation [C] rational equation [D] None of these	A
94	If $f(x) = a_0 + a_1x + a_2x^2 + a_3x^3 \dots + a_nx^n = 0$ is called monic polynomial equation of degree n, if $a_n = \dots$ [A] -1 [B] 0 [C] a_0 [D] 1	D
95	An equation of degree one is called equation. [A] linear [B] quadratic [C] cubic [D] None of these	A
96	$g(x) = 1 - 5x - 7x^2 + \frac{7}{2}x^4$ is polynomial of degree [A] 2 [B] 4 [C] 5 [D] None of these	B
97	If $f(x)$ is polynomial of degree m and $g(x)$ is polynomial of degree n then degree of $[f(x)+g(x)]$ is [A] $\max.\{m, n\}$ [B] $\min.\{m, n\}$ [C] $m+n$ [D] None of these	A
98	A polynomial of degree 3 is called polynomial. [A] linear [B] quadratic [C] cubic [D] None of these	C
99	$\sqrt{2}$ is	A

	[A] not rational number [B] rational number [C] integer [D] None of These	
100	When looking for possible negative roots, we need to look at... A) $f(x)$ B) $f(-x)$ C) $-f(x)$ D) None of these	B
101	Every equation $f(x) = 0$ of degree $n \geq 1$ with real coefficients has at least one real or complex root a) True b) False	A
102	If $f(x) = 0$ is the equation with real coefficients, then all imaginary roots of $f(x) = 0$ occur in conjugate pairs. a) False b) True	B
103	If $f(x) = 0$ is the equation of odd degree with real coefficients, then $f(x) = 0$ has at least one real root. a) True b) False	A
104	Transform equation whose roots are the roots of $x^3 - 3x^2 + 12x + 16 = 0$ is diminished by 1 is given by a) $x^3 + 9x + 26 = 0$ b) $x^3 - 9x + 26 = 0$ c) $x^3 - 9x - 26 = 0$ d) None of these	A
105	Transform equation whose roots are the roots of $x^3 - 12x^2 + 48x - 72 = 0$ is diminished by 1 is given by a) $x^3 - 8 = 0$ b) $3x^3 - 8 = 0$ c) $4x^3 - 6 = 0$ d) None of these	A
106	Transform equation whose roots are the roots of $x^3 + 6x^2 + 9x + 4 = 0$ is diminished by 1 is given by	A

	<p>a) $x^3 - 3x + 2 = 0$ b) $x^3 - 6x + 2 = 0$ c) $x + 2 = 0$ d) None of these</p>	
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