

QN	<p style="text-align: center;"><b>T.Y.B.Sc.(Mathematics)</b>  <b>Subject: MTH-504: Lattice Theory</b>  <b>Question Bank</b></p>	ANS
1)	A relation R reflexive if A) $aRa$ B) $aRb$ C) $aRc$ for all $a, b, c \in P$	<b>A</b>
2)	A Relation R is called as anti-symmetric if $aRb$ and $bRa$ then..... A) $a = b$ B) $a \neq b$ C) Both A and B D) None of these	<b>A</b>
3)	Partial ordered relation on non-empty set P is (A) Reflexive (B) Anti-Symmetric (C) Transitive (D) All above	<b>D</b>
4)	Let X be a non-empty set and $(P(X), \subseteq)$ be a poset of all subsets of X. If $A, B \in P(X)$ then $\inf(A, B)$ is (A) A (B) B (C) $A \cup B$ (D) $A \cap B$	<b>D</b>
5)	The poset $P = \{1, 2, 3, 4, 5, 6, 12\}$ of factors of 12 under divisibility then the greatest element of P is (A) 1 (B) 2 (C) 12 (D) 6 C	<b>C</b>
6)	The poset $P = \{1, 2, 3, 4, 5, 6, 12\}$ of factors of 12 under divisibility then the greatest element of P is (A) 1 (B) 2 (C) 12 (D) 6	<b>A</b>
7)	The poset $P = \{2, 3, 4, 5, 6\}$ of non-trivial factors of 12 under divisibility then the greatest element of P is (A) 1 (B) 2 (C) 12 (D) 6	<b>D</b>

8)	The poset $P=\{2,3,4,5,6\}$ of non-trivial factors of 12 under divisibility then the greatest element of P is (A) 1 (B) 2 (C) 12 (D) 6	<b>A</b>
9)	The Cartesian product of two sets A and B is denoted as $A \times B$ and is defined as (A) $A \times B = \{(a,b): a \in A, b \in B\}$ (B) $A \times B = \{(a,a): a \in A, b \in B\}$ (C) $A \times B = \{(b,b): a \in A, b \in B\}$ (D) $A \times B = \{(b,a): a \in A, b \in B\}$	<b>A</b>
10)	The Cartesian product of two sets $A = \{a,b\}$ and $B = \{1,2\}$ is denoted as $A \times B$ and is defined as (A) $A \times B = \{(a,1),(a,2),(b,1),(b,2)\}$ (B) $A \times B = \{(1,a),(2,b),(1,a),(b,2)\}$ (C) $A \times B = \{(a,1),(a,2)\}$ (D) $A \times B = \{(b,1),(b,2)\}$	<b>A</b>
11)	The Cartesian product of two sets $A = \{a,b\}$ and $B = \{x\}$ is denoted as $A \times B$ and is defined as (A) $A \times B = \{(a,x),(a,2),(b,1),(b,2)\}$ (B) $A \times B = \{(1,a),(2,b),(1,a),(b,2)\}$ (C) $A \times B = \{(a,x),(b,x)\}$ (D) $A \times B = \{(b,1),(b,2)\}$	<b>C</b>
12)	The set N of natural numbers under the usual $\leq$ satisfies which of the following properties (A) Reflexivity (B) Anti-Symmetry (C) Transitivity (D) All above	<b>D</b>
13)	If $a \leq b \leq c$ in a poset then a and b are called as ..... A) Non comparable B) Comparable C) Rational D) None of these	<b>B</b>
14)	A lattice L is called a _____ lattice if every non-empty subset of L has its Sup and Inf in L. (A) complete (B) semilattice (C) sublattice (D) none of these	<b>A</b>
15)	If $a \leq b$ and if $a \neq b$ in a Poset then ..... A) $a < b$ B) $a > b$ C) $a = b$ d) None of these	<b>A</b>
16)	The set of natural number under divisibility forms ..... A) Non Poset B) Poset C) Both A and B D) None of these	<b>B</b>
17)	If P is a Poset in which every element are comparable then P is called as ..... A) Totally ordered set B) Non totally ordered set C) Infinite set D) None of these	<b>A</b>

18)	True or False : In a Poset P $a < a$ holds for all $a \in P$ A) True B) False	<b>B</b>
19)	Greatest element, if exists in a Poset , will be ..... A) Unique B) Not unique C) Does not exists D) None of these	<b>A</b>
20)	Least element, if exists in a Poset, will be ..... A) Unique B) Not unique C) Does not exists D) None of these	<b>A</b>
21)	True or False: An element $a$ in a Poset P is called as maximal element if $a < x$ for no $x \in P$ A) True B) False	<b>A</b>
22)	If S is a non-empty finite subset of a poset P Then S has ..... A) Maximal element B) Minimal element C) Both A and B D) None of these	<b>C</b>
23)	A mapping $f: P \rightarrow Q$ is an ..... iff f is isotone and $f^{-1}$ is isotone A) Isomorphisms B) Not Isomorphism C) Both A and B D) None of these	<b>A</b>
24)	If $\rho$ is a relation on a set X and converse of $\rho$ is denoted by $\bar{\rho}$ , then $a\bar{\rho}b$ if and only if..... A) $b\rho a$ B) $\bar{b}\rho a$ C) $b\rho\bar{a}$ D) None of the these	<b>A</b>
25)	If a Poset X is isomorphic to its dual $X^*$ ,then X is called as..... A) Dual B) Self Dual C) Dual of dual D) None of these	<b>B</b>
26)	An element $a$ in a Poset P is called as lower bound of S if..... A) $a \geq x$ B) $a \leq x$ C) $a \neq x$ D) None of these	<b>B</b>
27)	True or False : The Poset {2,3,4,6} under divisibility is not lattice A) True B) False	<b>A</b>
28)	Let X be a non-empty set. Then $P(X)$ the power set of X under $\subseteq$ satisfies which of the following properties (A) Reflexivity (B) Anti-Symmetry (C) Transitivity (D) All above	<b>D</b>
29)	Let N be the set of natural number under divisibility, then $a \dots$ A) $\gcd(a,b)$ , B) $\text{lcm}(a,b)$ , $\text{lcm} a b$ C) Both A and B D) none of these	<b>A</b>
30)	Let L be the set of all subgroup of group G , and if L forms a Lattice under $\cap$ and if $H, K \in L$ then $HK \in L$ ..... A) $H \cup K$ B) $H \cap K$ c) $\{H \cup K\}$ D) None of these	<b>B</b>

31)	Any two elements of a every poset (A) must be comparable (B) must be non-comparable (C) may or may not be comparable (D) None of these	<b>C</b>
32)	In the poset of natural numbers N under divisibility, the numbers 2 and 3 are (A) comparable elements (B) not comparable elements (C) may or may not be comparable (D) None of these	<b>B</b>
33)	If P is a poset in which every two members are comparable, then it is called as _____ (A) totally ordered set (B) toset (C) chain (D) All above	<b>D</b>
34)	A poset $(L, \leq)$ is a lattice iff every non empty finite subset of L has... A) Sup B) Inf C) Sup and Inf D) None of these	<b>C</b>
35)	Let L be a lattice and if $a, b, c \in L$ , then $a \wedge (a \vee \vee b)$ ..... a) b B) a C) c D) None of these	<b>B</b>
36)	Let L be a lattice and $0, u \in L$ then $0 \wedge a$ ..... A) a B) 0 C) 1 D) None of these	<b>B</b>
37)	True or False : In a lattice L the modular inequality $a \wedge (b \vee c) \geq b \wedge (a \vee c)$ A) True B) False	<b>A</b>
38)	If the greatest element exists, then it is comparable with _____ elements of the poset. (A) two (B) all (C) three (D) some	<b>B</b>

