

QN	S.Y.B.SC.(Mathematics) Subject :MTH-232 (A) Algebra Question Bank	Ans
1)	Which of the following operations is not binary in \mathbb{Z} ? (A) addition (B) multiplication (C) subtraction (D) division	D
2)	Let G be a non-empty set. A binary operation $*$ on G is said to be if $a * (b * c) = (a * b) * c$ for all $a, b, c \in G$. (A) associative (B) closure (C) commutative (D) abelian	A
3)	What is the identity element in the group $(\mathbb{Z}, +)$? (A) 0 (B) 1 (C) -1 (D) 2	A
4)	Consider the group $(\mathbb{Q}^+, *)$ where $a * b = \frac{ab}{3}$ for all $a, b \in \mathbb{Q}^+$. What is the identity element in \mathbb{Q}^+ ? (A) 0 (B) 1 (C) 2 (D) 3	D
5)	Which of the following is not a group? (A) $(\mathbb{Z}, +)$ (B) $(\mathbb{N}, +)$ (C) $G = \{1, -1, i, -i\}$ under usual multiplication (D) $G = \mathbb{R} - \{1\}$ under operation $a * b = a + b - ab$ for all $a, b \in G$	B
6)	Which of the following is incorrect? (A) Identity element in a group is unique. (B) Inverse of every element in a group is unique. (C) Every group is abelian. (D) None of the above.	C
7)	In a group $G = \{1, -1, i, -i\}$ under usual multiplication, $i^{-1} = \dots\dots$ (A) 1 (B) -1 (C) i (D) $-i$	D

8)	<p>In the group $(\mathbb{Z}'_8, \times_8)$, $\bar{3}^{-1} = \dots\dots$</p> <p>(A) $\bar{1}$ (B) $\bar{3}$ (C) $\bar{5}$ (D) $\bar{7}$</p>	B
9)	<p>In a group G, for $a \in G$, $(a^{-1})^{-1} = \dots\dots$</p> <p>(A) a (B) a^{-1} (C) e, identity in G (D) 1</p>	A
10)	<p>Which of the following is an abelian group?</p> <p>(A) $G = \mathbb{R} - \{1\}$ under operation $a * b = a + b - ab$ for all $a, b \in G$</p> <p>(B) $G = \{1, -1, i, -i, j, -j, k, -k\}$ the group of quaternions under usual multiplication</p> <p>(C) $G = \{A: A \text{ is a non-singular matrix of order } n \text{ over } \mathbb{R}\}$ under usual matrix multiplication</p> <p>(D) $G = \{(a, b): a, b \in \mathbb{R}, a \neq 0\}$ under operation $(a, b) \odot (c, d) = (ac, bc + d)$ for all $(a, b), (c, d) \in G$</p>	A
11)	<p>Which of the following is a non-abelian group?</p> <p>(A) $(2\mathbb{Z}, +)$</p> <p>(B) $G = \{1, -1, i, -i\}$ under usual multiplication</p> <p>(C) $G = \mathbb{Q} - \{-1\}$ under operation $a * b = a + b + ab$ for all $a, b \in G$</p> <p>(D) $G = \{(a, b): a, b \in \mathbb{R}, a \neq 0\}$ under operation $(a, b) \odot (c, d) = (ac, bc + d)$ for all $(a, b), (c, d) \in G$</p>	D
12)	<p>Which of the following is a non-abelian group?</p> <p>(A) $(\mathbb{R}, +)$</p> <p>(B) $(\mathbb{Z}_6, +_6)$</p> <p>(C) $(\mathbb{Z}'_8, \times_8)$</p> <p>(D) $G = \{A: A \text{ is a non-singular matrix of order } n \text{ over } \mathbb{R}\}$ under usual matrix multiplication</p>	D

13)	Which of the following group is finite? (A) $(\mathbb{Z}, +)$ (B) $G = \{ 1, -1, i, -i \}$ under usual multiplication (C) $G = \mathbb{Q} - \{-1\}$ under operation $a * b = a + b + ab$ for all $a, b \in G$ (D) $(\mathbb{Q}^+, *)$ under the operation $a * b = \frac{ab}{2}$ for all $a, b \in \mathbb{Q}^+$	B
14)	Which of the following group is infinite? (A) $G = \{ 1, -1, i, -i \}$ under usual multiplication (B) $(\mathbb{Z}_6, +_6)$ (C) $(\mathbb{Z}'_8, \times_8)$ (D) $(\mathbb{Q}^+, *)$ under the operation $a * b = \frac{ab}{2}$ for all $a, b \in \mathbb{Q}^+$	D
15)	The number of element present in a finite group G is (A) Order of group (B) Order of element (C) Index of group (D) None of the above	A
16)	The order of the group $(\mathbb{Z}_6, +_6)$ is (A) 2 (B) 3 (C) 5 (D) 6	D
17)	In the group $(\mathbb{Z}, +)$, $(2)^4 = \dots$ (A) 0 (B) 2 (C) 8 (D) 16	C
18)	In the group $(\mathbb{Z}_6, +_6)$, $(\bar{3})^{-4} = \dots$ (A) $\bar{0}$ (B) $\bar{2}$ (C) $\bar{3}$ (D) $\bar{1}$	A
19)	In the group $(\mathbb{Z}'_8, \times_8)$, $(\bar{5})^4 = \dots$ (A) $\bar{1}$ (B) $\bar{3}$ (C) $\bar{5}$ (D) $\bar{7}$	A

20)	In the group $G = \{ 1, -1, i, -i \}$ under usual multiplication, order of $i = \dots$ (A) 1 (B) 2 (C) 3 (D) 4	D
21)	The number of element in the group $(\mathbb{Z}'_8, \times_8)$ of order 4 are (A) 2 (B) 3 (C) 4 (D) 0	B
22)	Let G be a group and $a, b, c \in G$. Then $(abc)^{-1} = \dots$ (A) $a^{-1}b^{-1}c^{-1}$ (B) $c^{-1}a^{-1}b^{-1}$ (C) $c^{-1}b^{-1}a^{-1}$ (D) $a^{-1}c^{-1}b^{-1}$	C
23)	Let G be a group and $a, b \in G$ such that $ab = ba$. Which of the following is incorrect? (A) $a^k b = b a^k$ for all $k \in \mathbb{N}$ (B) $(ab)^n = a^n b^n$ for all $n \in \mathbb{N}$ (C) $(ab)^{-1} = a^{-1} b^{-1}$ (D) None of the above	D
24)	A group G is called as if the number of element in G is finite? (A) abelian (B) finite (C) infinite (D) non-abelian	B
25)	An Abelian group is also known as group. (A) finite (B) infinite (C) commutative (D) ordered	C
26)	In any group G , $o(a^{-1}) = \dots$ (A) $o(a)$ (B) $o(G)$ (C) $\frac{1}{o(a)}$ (D) $\frac{1}{o(G)}$	A

27)	In the group $(\mathbb{Z}, +)$, $o(2) = \dots$ (A) 0 (B) 1 (C) 2 (D) infinite	D
28)	How many elements in the group $(\mathbb{Z}, +)$ has finite order? (A) 1 (B) 2 (C) 3 (D) infinite	A
29)	If G be a group and $a \in G$, $m, n \in \mathbb{N}$, then $a^m a^n = \dots$ (A) a^{mn} (B) a^{m+n} (C) $a^{\frac{m}{n}}$ (D) $a^{(m, n)}$	B
30)	Order of the identity element in any group is (A) 0 (B) 1 (C) 2 (D) $o(G)$	B
31)	Let G be a group and $a, b \in G$, $m \in \mathbb{N}$. Then $(b^{-1} ab)^m = \dots$ (A) $b^{-1} a^m b$ (B) $b^{-m} a b^m$ (C) $b^{-1} a b$ (D) e	A
32)	Which of the following is a improper subgroup of a group G ? (A) $\{e\}$ (B) G (C) Every subgroup of G (D) None of the above	B
33)	Which of the following is a trivial subgroup of a group G ? (A) $\{e\}$ (B) G (C) every subgroup of G (D) None of the above	A

34)	<p>A subgroup H of a group G is called if $H \neq G$.</p> <p>(A) trivial</p> <p>(B) improper</p> <p>(C) proper</p> <p>(D) None of the above</p>	C
35)	<p>Which of the following is a subgroup of a group $G = \{ 1, -1, i, -i \}$ under usual multiplication?</p> <p>(A) $\{ 1, i \}$</p> <p>(B) $\{ -1, -i \}$</p> <p>(C) $\{ i, -i \}$</p> <p>(D) $\{ 1, -1 \}$</p>	D
36)	<p>Which of the following is a not subgroup of the group $(\mathbb{Z}, +)$?</p> <p>(A) The set of all even integers</p> <p>(B) $n\mathbb{Z}$ for any $n \in \mathbb{N}$</p> <p>(C) The set of all odd integers</p> <p>(D) $\{0\}$</p>	C
37)	<p>Consider the statements:</p> <p>I: Union of two subgroup in a group G is a subgroup of G.</p> <p>II: Intersection of two subgroup in a group G is a subgroup of G</p> <p>(A) Only statement I is correct</p> <p>(B) Only statement II is correct</p> <p>(C) Both the statements are correct</p> <p>(D) None of the above</p>	B

43)	<p>Which of the following group is not cyclic?</p> <p>(A) $G = \{ 1, -1, i, -i \}$ under usual multiplication</p> <p>(B) $(\mathbb{Z}_6, +_6)$</p> <p>(C) $(\mathbb{Z}'_8, \times_8)$</p> <p>(D) $(\mathbb{Z}, +)$</p>	C
44)	<p>Which of the following group is abelian but not cyclic?</p> <p>(A) $G = \{ 1, -1, i, -i \}$ under usual multiplication</p> <p>(B) $(\mathbb{Z}_6, +_6)$</p> <p>(C) $(\mathbb{Q}, +)$</p> <p>(D) $(\mathbb{Z}, +)$</p>	C
45)	<p>The number of proper subgroup of the group $(\mathbb{Z}, +)$ are</p> <p>(A) 1 (B) 2 (C) 5 (D) infinite</p>	D
46)	<p>The number if proper subgroup of the group $(\mathbb{Z}_{12}, +_{12})$ are</p> <p>(A) 1 (B) 2 (C) 5 (D) 6</p>	C
47)	<p>A cyclic group of order 10 has number of subgroups.</p> <p>(A) 1 (B) 2 (C) 4 (D) 10</p>	C
48)	<p>Let H be a subgroup of a group G and $a \in G$. Then the set $\{ah: h \in H\}$ is known as</p> <p>(A) left coset of H by a</p> <p>(B) right coset of H by a</p> <p>(C) coset</p> <p>(D) sub-coset</p>	A

49)	Let H be a subgroup of a group G and $a, b \in G$. Which of the following is incorrect? (A) $aH = H$ if $a \in H$. (B) Ha and Hb are either equal or disjoint. (C) $Ha = Hb$ implies $ab^{-1} \in H$. (D) None of the above.	D
50)	The number of distinct left cosets of a subgroup $H = \{ 1, -1 \}$ in the group $G = \{ 1, -1, i, -i \}$ under usual multiplication are (A) 1 (B) 2 (C) 3 (D) 4	B
51)	If H is a subgroup of a finite group G , then $o(H) \mid o(G)$. This is the statement of theorem. (A) Euler's (B) Fermat's (C) Lagrange's (D) Cauchy's	C
52)	If $n \in \mathbb{N}$ and $a \in \mathbb{Z}$ such that $(a, n) = 1$, then $a^{\phi(n)} = 1 \pmod{n}$. This is the statement of theorem. (A) Euler's (B) Fermat's (C) Lagrange's (D) Cauchy's (B)	A
53)	If p is a prime number and $a \in \mathbb{Z}$ such that $p \nmid a$ then $a^{p-1} = 1 \pmod{p}$. This is the statement of Theorem. (A) Euler's (B) Fermat's (C) Lagrange's (D) Cauchy's	B
54)	Let G be a finite group and $a \in G$. Then $a^{o(G)} = \dots\dots\dots$ (A) e (B) a (C) a^2 (D) $o(G)$	A
55)	Let $\phi(n)$ be an Euler's totient function. Then $\phi(10) = \dots\dots\dots$ (A) 1 (B) 2 (C) 4 (D) 9	C
56)	Let $\phi(n)$ be an Euler's totient function. Then $\phi(17) = \dots\dots\dots$ (A) 1 (B) 2 (C) 16 (D) 7	C
57)	The remainder obtained when 3^{54} divided by 11 is (A) 1 (B) 2 (C) 3 (D) 4	D

58)	The remainder obtained when 15^{27} divided by 8 is	D
	(A) 1 (B) 2 (C) 6 (D) 7	
59)	The remainder obtained when $5^{10} - 3^{10}$ divided by 11 is	A
	(A) 0 (B) 1 (C) 3 (D) 5	
60)	The number of cyclic subgroups of a group of order 41 =	C
	(A) 0 (B) 1 (C) 2 (D) 41	
61)	A function $f: (G, *) \rightarrow (G_1, *')$ is called a group homomorphism if	B
	(A) $f(a * b) = f(a) * f(b)$ for all $a, b \in G$ (B) $f(a * b) = f(a) *' f(b)$ for all $a, b \in G$ (C) $f(a *' b) = f(a) *' f(b)$ for all $a, b \in G$ (D) $f(a *' b) = f(a) + f(b)$ for all $a, b \in G$	
62)	If $f: (G, *) \rightarrow (G_1, *')$ is a group homomorphism and e, e_1 are identity elements in G and G_1 respectively, then $f(e) = \dots\dots$	C
	(A) e (B) G (C) e_1 (D) 0	
63)	If $f: (G, *) \rightarrow (G_1, *')$ is a group homomorphism and $a \in G$, then $f(a^n) = \dots\dots$ For all $n \in \mathbb{Z}$.	B
	(A) e (B) $f(a)^n$ (C) a^n (D) 0	
64)	If $f: (G, *) \rightarrow (G_1, *')$ is a group homomorphism, then the set $\{x \in G: f(x) = e_1, \text{ identity in } G_1\}$ is	B
	(A) homomorphic image of G (B) kernel of f (C) $f(G)$ (D) Imf	
65)	Let $G = \{1, -1, i, -i\}$ be the group under usual multiplication. If a function $f: (\mathbb{Z}, +) \rightarrow (G, \times)$ defined by $f(n) = i^n$ for all $n \in \mathbb{Z}$ is a group homomorphism, then $kerf = \dots\dots$	C
	(A) \mathbb{Z} (B) $\{0\}$ (C) $4\mathbb{Z}$ (D) \emptyset	
66)	If a function $f: (\mathbb{R}, +) \rightarrow (\mathbb{R}, +)$ defined by $f(x) = \frac{x}{2}$ for all $x \in \mathbb{R}$ is a group homomorphism, then $kerf = \dots\dots$	B
	(A) \mathbb{R} (B) $\{0\}$ (C) \mathbb{Z} (D) \emptyset	
67)	A function $g: (\mathbb{R}, +) \rightarrow (\mathbb{R}, +)$ defined by $g(x) = x + 1$ for all $x \in \mathbb{R}$, is	C
	(A) one-one group homomorphism (B) onto group homomorphism (C) not a group homomorphism (D) an isomorphism	

68)	For $n \in \mathbb{N}$, $(n\mathbb{Z}, +) \cong \dots\dots\dots$ (A) $(\mathbb{R}, +)$ (B) $(\mathbb{Q}, +)$ (C) $(\mathbb{Z}, +)$ (D) $(\mathbb{Z}_n, +_n)$	C
69)	Every finite cyclic group G of order n is isomorphic to (A) $(\mathbb{R}, +)$ (B) $(\mathbb{Q}, +)$ (C) $(\mathbb{Z}, +)$ (D) $(\mathbb{Z}_n, +_n)$	D
70)	Every infinite cyclic group G is isomorphic to (A) $(\mathbb{R}, +)$ (B) $(\mathbb{Q}, +)$ (C) $(\mathbb{Z}, +)$ (D) $(\mathbb{Z}_n, +_n)$	C
71)	Consider the following statements: I: Homomorphic image of an abelian group is abelian. II: An isomorphism $f: G \rightarrow G$ is known as automorphism. Which of the following is true? (A) Only statement I is correct (B) Only statement II is correct (C) Both the statements are correct (D) None of the above	C
72)	If G is a cyclic group with generator a , then the homomorphic image, $f(G) = \dots\dots\dots$ (A) $\langle a \rangle$ (B) $\langle f(a) \rangle$ (C) $\{a\}$ (D) $\{e\}$	B

73)	<p>Which of the following statements is false?</p> <p>(A) $(\mathbb{Z}, +) \cong (2\mathbb{Z}, +)$</p> <p>(B) $G \cong (\mathbb{Z}_4, +_4)$ where $G = \{1, -1, i, -i\}$ is a group under usual multiplication</p> <p>(C) $(\mathbb{Q}, +) \cong (\mathbb{Q} - \{0\}, \times)$</p> <p>(D) None of the above</p>	C
74)	<p>Which of the following statements is false?</p> <p>(A) $(\mathbb{Z}, +) \cong (3\mathbb{Z}, +)$</p> <p>(B) If $G = \{1, -1, i, -i\}$ is a group under usual multiplication, then $G \cong (\mathbb{Z}'_4, \times_8)$</p> <p>(C) Any two finite cyclic groups of same order are isomorphic.</p> <p>(C) None of the above</p>	B
75)	<p>If $f: G \rightarrow G_1$ is a group isomorphism and $a \in G$, then</p> <p>(A) $o(a) < o(f(a))$</p> <p>(B) $o(a) > o(f(a))$</p> <p>(C) $o(a) = o(f(a))$</p> <p>(D) None of the above</p>	C
76)	<p>Consider $(\mathbb{R}, +)$, the group of reals under usual addition and (\mathbb{R}^+, \cdot), the group of positive reals under usual multiplication. Then the $f: \mathbb{R} \rightarrow \mathbb{R}^+$ defined by Is an isomorphism.</p> <p>(A) $f(x) = 2^x$ for all $x \in \mathbb{R}$</p> <p>(B) $f(x) = 2x$ for all $x \in \mathbb{R}$</p> <p>(C) $f(x) = x + 2$ for all $x \in \mathbb{R}$</p> <p>(D) $f(x) = x$ for all $x \in \mathbb{R}$</p>	A

77)	<p>Let $f: G \rightarrow G'$ be a group homomorphism. Consider the following statement:</p> <p>I: G is an abelian group</p> <p>II: $f(G)$ is an abelian group.</p> <p>Which of the following is correct?</p> <p>(A) I implies II only (B) II implies I only</p> <p>(C) I if and only if II (D) Neither I implies II nor II implies I</p>	A
78)	<p>Let $f: G \rightarrow G'$ be a group homomorphism. Consider the following statement:</p> <p>I: G is a cyclic group</p> <p>II: $f(G)$ is a cyclic group.</p> <p>Which of the following is correct?</p> <p>(A) I implies II only (B) II implies I only</p> <p>(C) I if and only if II (D) Neither I implies II nor II implies I</p>	A
79)	<p>Let $f: G \rightarrow G'$ be a group homomorphism. Consider the following statement:</p> <p>I: G is a finite group</p> <p>II: $f(G)$ is a finite group.</p> <p>Which of the following is correct?</p> <p>(A) I implies II only (B) II implies I only</p> <p>(C) I if and only if II (D) Neither I implies II nor II implies I</p>	A
80)	<p>The number of group homomorphisms from the group $(\mathbb{Z}, +)$ onto itself =</p> <p>(A) 0 (B) 1 (C) 2 (D) infinite</p>	D

81)	<p>A ring $(R, +, \cdot)$ is said to be commutative if</p> <p>(A) $a + b = b + a$ for all $a, b \in R$</p> <p>(B) $a \cdot b = b \cdot a$ for all $a, b \in R$</p> <p>(C) $a \cdot b = b \cdot a$ for some $a, b \in R$</p> <p>(D) $a \cdot b = 1$ for all $a, b \in R$</p>	B
82)	<p>Which of the following is not a ring under usual addition and multiplication?</p> <p>(A) \mathbb{R}</p> <p>(B) $\{0\}$</p> <p>(C) The set of all odd integers</p> <p>(D) $\left\{ \frac{p}{q} \in \mathbb{Q} : p, q \in \mathbb{Z} \text{ and } q \text{ is odd integer} \right\}$</p>	C
83)	<p>Which of the following rings is commutative?</p> <p>(A) $(\mathbb{R}, +, \cdot)$</p> <p>(B) $\left\{ \begin{bmatrix} a + ib & c + id \\ -c + id & a - ib \end{bmatrix} : a, b, c, d \in \mathbb{R} \right\}$ under usual addition and multiplication of matrices</p> <p>(C) The set of 2×2 matrices over \mathbb{Z} under usual addition and multiplication of matrices</p> <p>(D) None of the above</p>	A
84)	<p>Which of the following rings is without identity?</p> <p>(A) $(2\mathbb{Z}, +, \cdot)$</p> <p>(B) $\left\{ \begin{bmatrix} a & a & a \\ a & a & a \\ a & a & a \end{bmatrix} : a \in \mathbb{R} \right\}$ under usual addition and multiplication of matrices</p> <p>(C) $\left\{ \frac{p}{q} \in \mathbb{Q} : p, q \in \mathbb{Z} \text{ and } q \text{ is odd integer} \right\}$ under usual addition and multiplication</p> <p>(D) None of the above</p>	A

85)	<p>Which of the following rings is non-commutative?</p> <p>(A) $(2\mathbb{Z}, +, \cdot)$</p> <p>(B) $\left\{ \begin{bmatrix} a & a & a \\ a & a & a \\ a & a & a \end{bmatrix} : a \in \mathbb{R} \right\}$ under usual addition and multiplication of matrices</p> <p>(C) The set of 2×2 matrices over \mathbb{Z} under usual addition and multiplication of matrices</p> <p>(D) None of the above</p>	C
86)	<p>Which of the following rings is non-commutative?</p> <p>(A) $(\mathbb{Q}, +, \cdot)$</p> <p>(B) $\left\{ \begin{bmatrix} a & a & a \\ a & a & a \\ a & a & a \end{bmatrix} : a \in \mathbb{R} \right\}$ under usual addition and multiplication of matrices</p> <p>(C) $\left\{ \begin{bmatrix} a + ib & c + id \\ -c + id & a - ib \end{bmatrix} : a, b, c, d \in \mathbb{R} \right\}$ under usual addition and multiplication of matrices</p> <p>(D) None of the above</p>	C
87)	<p>The identity (unity) element in the ring $\left\{ \begin{bmatrix} a & a & a \\ a & a & a \\ a & a & a \end{bmatrix} : a \in \mathbb{R} \right\}$ under usual addition and multiplication of matrices is</p> <p>(A) $\begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix}$ (B) $\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$ (C) $\begin{bmatrix} \frac{1}{3} & \frac{1}{3} & \frac{1}{3} \\ \frac{1}{3} & \frac{1}{3} & \frac{1}{3} \\ \frac{1}{3} & \frac{1}{3} & \frac{1}{3} \end{bmatrix}$ (D) 1</p>	C
88)	<p>The identity (unity) element in the ring $(\mathbb{Z}, \oplus, \odot)$ is, where $a \oplus b = a + b - 1$ and $a \odot b = a + b - ab$ for all $a, b \in \mathbb{Z}$.</p> <p>(A) 0 (B) 1 (C) 2 (D) 3</p>	A

89)	Let $(R, +, \cdot)$ be a ring with identity 1. Which of the following statement is false? (A) $a \cdot 0 = 0$ (B) $(-a)b = a(-b)$ (C) $c(a - b) = ac - bc$ (D) $(-1)(-1) = 1$	C
90)	The number of units in the ring $(\mathbb{Z}_6, +_6, \times_6)$ are (A) 2 (B) 3 (C) 5 (D) 0	A
91)	The system $(\mathbb{Z}_6, +_6, \times_6)$ is (A) not a ring (B) ring but not an integral domain (C) an integral domain but not a field (D) field	B
92)	In the ring $(\mathbb{Z}_7, +_7, \times_7)$, $\bar{3} \times_7 (\bar{-4}) = \dots\dots$ (A) $\bar{0}$ (B) $\bar{2}$ (C) $\bar{1}$ (D) $-\bar{2}$	B
93)	The multiplicative inverse of $1 + i$ in the ring $\mathbb{Z}[i]$ is (A) 1 (B) i (C) $1 - i$ (D) None of the above	D
94)	The number of zero divisors in the ring $(\mathbb{Z}_6, +_6, \times_6)$ are (A) 2 (B) 3 (C) 5 (D) 0	B
95)	A commutative ring R without zero divisors is called as (A) an integral domain (B) a field (C) a division ring (D) a Boolean ring	A
96)	For $n > 1$, a ring $(\mathbb{Z}_n, +_n, \times_n)$ is an integral domain if and only if (A) n is odd (B) n is even (C) n is prime (D) n is composite number	C

97)	<p>Which of the following is not a field?</p> <p>(A) $(\mathbb{C}, +, \cdot)$ (B) $(\mathbb{R}, +, \cdot)$ (C) $(\mathbb{Q}, +, \cdot)$ (D) $(2\mathbb{Z}, +, \cdot)$</p>	D
98)	<p>Which of the following is incorrect?</p> <p>(A) Every field is an integral domain.</p> <p>(B) Every integral domain is a field.</p> <p>(C) Every finite integral domain is a field.</p> <p>(D) Every field is a division ring.</p>	B
99)	<p>Which of the following rings is a Boolean ring?</p> <p>(A) $(\mathbb{C}, +, \cdot)$ (B) $(\mathbb{R}, +, \cdot)$ (C) $(\mathbb{Z}, +, \cdot)$ (D) $(\mathbb{Z}_2, +_2, \times_2)$</p>	D
100)	<p>If R is a Boolean ring, then $a^3 = \dots\dots$ for all $a \in R$</p> <p>(A) 0</p> <p>(B) 1</p> <p>(C) a</p> <p>(D) a^{-1}</p>	C