

<p style="text-align: center;">The Bodwad Sarvajanic Co-Op. Education Society Ltd., Bodwad</p> <p style="text-align: center;"><b>Arts, Commerce and Science College Bodwad</b></p> <p style="text-align: center;"><u>Question Bank</u></p> <p>Class:-TYBSc <span style="float: right;">Sem:-VI</span></p> <p>Subject: Real Analysis II <span style="float: right;">Paper Name:- MTH 602</span></p>		
Sr. No.	Questions	Ans
1)	Every sequence is a function from.....  a) R      b) Q      c) N      d) None of these	<b>C</b>
2)	The sequence $\left\{\frac{1}{n}\right\}_{n=1}^{\infty}$ converges to.....  a) 1      b) 0      c) $\infty$ d) None of these	<b>B</b>
3)	The limit of sequence with $a_n = \frac{1}{n}$ as $n \rightarrow \infty$ is .....  a) 1      b) 0      c) $\frac{1}{2}$ d) None of these	<b>B</b>
4)	The sequence with $x_n = a^n$ is convergent if .....  a) $ a  = 1$ b) $ a  > 1$ c) $ a  < 1$ d) None of these	<b>C</b>
5)	If the sequence of real numbers $\{x_n\}_{n=1}^{\infty}$ is convergent then it is  a) Bounded    b) Not bounded    c) Infinite    d) None of these	<b>A</b>
6)	If the sequence of real number is convergent then it is converges to .....  a) Unique limit    b) Different limit    c) 1      d) $\infty$	<b>A</b>
7)	The sequence $\{(-1)^{n+1}\}_{n=1}^{\infty}$ is .....	

	a) Convergent b) Divergent c) Oscillatory d) None of these	<b>C</b>
8)	A non decreasing sequence which is bounded ..... is convergent. a) Above b) Below c) Both side d) None of these	<b>C</b>

9)	The sequence of real numbers $\{x_n\}_{n=1}^{\infty}$ is monotonic iff it is a) Monotonic increasing b) Monotonic decreasing c) Both monotonic increasing and decreasing d) Either monotonic increasing or decreasing	<b>D</b>
10)	If the sequence $\{a_n\}_{n=1}^{\infty}$ is convergent then $\lim_{n \rightarrow \infty} a_n = \dots$ a) 0 b) 1 c) $\infty$ or $-\infty$ d) None of these	<b>A</b>
11)	If the sequence $\{a_n\}_{n=1}^{\infty}$ is divergent then $\lim_{n \rightarrow \infty} a_n = \dots$ a) 0 b) Finite c) $\infty$ or $-\infty$ d) None of these	<b>C</b>
12)	The sequence $\left\{\left(1 + \frac{1}{n}\right)^n\right\}_{n=1}^{\infty}$ converges to ..... a) 1 b) e c) $\pi$ d) $\infty$	<b>B</b>
13)	Let the sequence $\{x_n\}_{n=1}^{\infty}$ converges to L and $\{x_{n_k}\}_{k=1}^{\infty}$ is any subsequence of $\{x_n\}_{n=1}^{\infty}$ then $\{x_{n_k}\}_{k=1}^{\infty} \dots$ a) Must be converges to same limit L b) May be converges to different c) May be diverges d) None of these	<b>A</b>
14)	If $0 < x < 1$ then sequence $\{x_n\}_{n=1}^{\infty} \dots$ a) Converges to 0 b) Converges to 1	<b>A</b>

	c) Diverges to $\infty$	d) Diverges to $-\infty$	
--	-------------------------	--------------------------	--

15)	Let $f_n(x) = x^n$ for $0 \leq x \leq 1, \forall n \in I$ then the sequence of functions $\{f_n\}_{n=1}^{\infty}$ .....	<b>B</b>
	a) Converges uniformly      b) Converges pointwise c) Diverges                      d) None of these	
16)	Let $f_n(x) = \frac{\sin x}{n}$ for $n \leq x \leq 1, \forall n \in I$ then the sequence of functions $\{f_n(x)\}_{n=1}^{\infty}$ .	<b>A</b>
	a) Converges uniformly to 0      b) Converges pointwise to 0 c) Diverges to $\infty$ d) None of these	
17)	If the sequence $\{f_n\}_{n=1}^{\infty}$ converges uniformly to $f(x)$ on $[a, b]$ and $f_n \in R[a, b] \forall n \in I$ Then $\int_a^b f(x) dx = \dots\dots$	<b>B</b>
	a) $\sum_{n=1}^{\infty} f_n(x)$ b) $\lim_{n \rightarrow \infty} \int_a^b f_n(x) dx$ c) $\infty$ d) None of these	
18)	Let $f_n(x) = \frac{x^n}{n}$ for $n \leq x \leq 1, \forall n \in I$ then the sequence of functions $\{f_n(x)\}_{n=1}^{\infty}$ .	<b>A</b>
	a) Converges uniformly to 0      b) Converges pointwise to 0 c) Converges uniformly to 1      d) Diverges to $\infty$	
19)	The geometric series $1 + x + x^2 + x^3 + \dots$ is convergent if.....	<b>A</b>
	a) $ x  < 1$ b) $0 < x < 1$ c) $x < 0$ d) $x > 1$	
20)	The geometric series $1 + x + x^2 + x^3 + \dots$ is convergent $\frac{1}{1-x}$ iff	<b>A</b>
	a) $ x  < 1$ b) $0 < x < 1$ c) $x < 0$ d) $x > 1$	

21)	<p>If the series <math>\sum_{n=1}^{\infty} a_n = a_1 + a_2 + \dots</math> is convergent then which of the following series is also convergent</p> <p>a) <math>a_2 + a_3 + a_4 + \dots</math>  b) <math>\frac{1}{2}(a_1 + a_2) + \frac{1}{2}(a_2 + a_3) + \frac{1}{2}(a_3 + a_4) + \dots</math>  c) <math>a_1 + (a_2 + a_3) + (a_4 + a_5 + a_6) + \dots</math>  d) None of these</p>	<b>D</b>
22)	<p>If the series <math>\sum_{n=1}^{\infty} (-1)^{n+1} a_n = a_1 - a_2 + a_3 - a_4 + \dots</math> is called .....</p> <p>a) Oscillatory series                      b) Alternating series  c) Power series                                d) None of the above</p>	<b>B</b>
23)	<p>If the series <math>\sum_{n=1}^{\infty} (-1)^{n+1} a_n</math> converges to <math>L \in R</math> then for any <math>k \in I,  S_k - L  \leq \dots</math></p> <p>a) 0                      b) 1                      c) <math>a_k</math>                      d) <math>a_{k+1}</math></p>	<b>D</b>
24)	<p>The infinite series <math>\sum_{n=1}^{\infty} a_n</math> is said to be converges to absolutely iff ,</p> <p>a) <math>\sum_{n=1}^{\infty} a_n</math> converges                      b) <math>\sum_{n=1}^{\infty}  a_n </math> converges  c) <math>\sum_{n=1}^{\infty} (-a_n)</math> converges                      d) <math>\sum_{n=1}^{\infty} a_n &lt; \infty</math></p>	<b>B</b>
25)	<p>Which of the following statement is true.</p> <p>a) Every absolutely convergent series is convergent  b) Every convergent series is absolutely convergent  c) Series converges absolutely iff it is converges  d) All of these</p>	<b>A</b>
26)	<p>If the series <math>\sum_{n=1}^{\infty} a_n</math> is said to be converges absolutely and <math>p_n = \max\{a_n, 0\}</math> and <math>q_n = \min\{a_n, 0\}</math> then</p> <p>a) Only <math>\sum p_n</math> converges  b) Only <math>\sum q_n</math> converges  c) Both <math>\sum p_n</math> and <math>\sum q_n</math> converges converge  d) Both <math>\sum p_n</math> and <math>\sum q_n</math> converges diverges</p>	<b>C</b>

27)	If the series $\sum_{n=1}^{\infty} b_n$ is rearrangement series of $\sum_{n=1}^{\infty} a_n$ and $\sum_{n=1}^{\infty} a_n$ converges then  a) $\sum_{n=1}^{\infty} b_n$ must convergent                      b) $\sum_{n=1}^{\infty} b_n$ is divergent c) $\sum_{n=1}^{\infty} b_n$ may or may not converges      d) None of these	<b>C</b>
28)	If $\sum_{n=1}^{\infty} a_n$ is series of non negative terms which converges to A and $\sum_{n=1}^{\infty} b_n$ is rearrangement series of $\sum_{n=1}^{\infty} a_n$ then $\sum_{n=1}^{\infty} b_n \dots\dots$  a) Also converges to A      b) Converges in neighbourhood of A c) Converges to $A^2$ d) May be divergent	<b>A</b>
29)	The auxiliary series $\sum_{n=1}^{\infty} \frac{1}{n^p} = \frac{1}{1^p} + \frac{1}{2^p} + \frac{1}{3^p} + \dots\dots\dots$ converges iff  a) $p < 1$ b) $p > 1$ c) $p = 1$ d) None of these	<b>B</b>
30)	Which of the following series is convergent.  a) $\sum_{n=1}^{\infty} \frac{1}{\sqrt{n}}$ b) $\sum_{n=1}^{\infty} \frac{1}{n}$ c) $\sum_{n=1}^{\infty} \frac{1}{n^2}$ d) All of these	<b>C</b>
31)	We say that the series $\sum_{n=1}^{\infty} a_n$ is dominated by $\sum_{n=1}^{\infty} b_n$ iff  a) $ a_n  \leq  b_n  \forall n \in I$ b) $ a_n  =  b_n  \forall n \in I$ c) $ a_n  \leq  b_n  \forall n \geq N$ d) None of these	<b>C</b>
32)	The series $\sum_{n=1}^{\infty} \frac{1}{n^2+2n+1}$ is  a) Convergent                                      b) Divergent c) Neither convergent nor divergent      d) Oscillatory	<b>A</b>
33)	Which of the following series is divergent.  a) $\sum_{n=1}^{\infty} \left(-\frac{1}{2}\right)^n$ b) $\sum_{n=1}^{\infty} \left(\frac{1}{2}\right)^n$ c) $\sum_{n=1}^{\infty} \left(\frac{3}{4}\right)^n$ d) $\sum_{n=1}^{\infty} 1^n$	<b>D</b>

34)	<p>If <math>a_n = \frac{n^n}{n!}</math> Then <math>\frac{a_{n+1}}{a_n} = \dots\dots</math></p> <p>a) <math>\frac{(n+1)^{n+1}}{(n+1)!}</math>    b) 1    c) <math>\left(1 + \frac{1}{n}\right)^n</math>    d) None of these</p>	<b>C</b>
35)	<p>If <math>\lim_{n \rightarrow \infty} (a_n)^{\frac{1}{n}} = L</math> then the series <math>\sum_{n=1}^{\infty} a_n</math> converges if</p> <p>a) <math>L &lt; 1</math>    b) <math>L &gt; 1</math>    c) <math>L = 1</math>    d) <math>L = 0</math></p>	<b>A</b>
36)	<p><math>\sum_{n=1}^{\infty} 2^n a_{2^n}</math> converges implies <math>\sum_{n=1}^{\infty} a_n</math> converges if <math>\{a_n\}_{n=1}^{\infty}</math> is</p> <p>a) Non decreasing sequence of positive numbers  b) Non increasing sequence of positive numbers  c) Any sequence of positive numbers  d) Any sequence of real numbers</p>	<b>B</b>
37)	<p>If the series <math>\sum_{n=1}^{\infty} a_n</math> converges to A and c is any non zero constant then the series <math>\sum_{n=1}^{\infty} c \cdot a_n</math> converges to</p> <p>a) A    b) <math>c^\infty A</math>    c) cA    d) <math>\frac{A}{c}</math></p>	<b>C</b>
38)	<p>If <math>\sum_{n=1}^{\infty} a_n = a_1 + a_2 + a_3 + \dots\dots\dots</math> Converges to A then <math>a_2 + a_3 + a_4 + \dots\dots\dots</math> converges to</p> <p>a) <math>A + a_1</math>    b) <math>A - a_1</math>    c) A    d) None of these</p>	<b>B</b>
39)	<p>The condition for alternating series <math>\sum_{n=1}^{\infty} (-1)^n a_n</math> to be convergent is</p> <p>a) <math>\{a_n\}_{n=1}^{\infty}</math> is sequence of positive numbers  b) <math>a_1 \geq a_2 \geq a_3 \geq \dots\dots\dots</math>  c) <math>\lim_{n \rightarrow \infty} a_n = 0</math>  d) All of above</p>	<b>D</b>





46)	<p>Let <math>\{f_n\}_{n=1}^{\infty}</math> be a sequence of function defined on <math>\mathbb{R}</math> then which of the following statement is true.</p> <p>a) If <math>\{f_n\}_{n=1}^{\infty}</math> converges uniformly to <math>f</math> then <math>\{f_n\}_{n=1}^{\infty}</math> converges point wise to <math>f</math></p> <p>b) If <math>\{f_n\}_{n=1}^{\infty}</math> converges point wise to <math>f</math> then <math>\{f_n\}_{n=1}^{\infty}</math> converges uniformly to <math>f</math></p> <p>c) If <math>\{f_n\}_{n=1}^{\infty}</math> converges point wise to <math>f</math> iff <math>\{f_n\}_{n=1}^{\infty}</math> converges uniformly to <math>f</math></p> <p>d) All of above</p>	<b>A</b>
47)	<p>If <math>\{x_n\}_{n=1}^{\infty}</math> is sequence of real numbers then which of the following statement is true.</p> <p>a) If <math>\{x_n\}_{n=1}^{\infty}</math> is bounded then it is convergent</p> <p>b) If <math>\{x_n\}_{n=1}^{\infty}</math> is convergent then it is bounded</p> <p>c) <math>\{x_n\}_{n=1}^{\infty}</math> is convergent iff it is bounded</p> <p>d) None of these</p>	<b>B</b>
48)	<p>Which of the following sequence is monotonic .</p> <p>a) <math>\left\{\frac{1}{2^n}\right\}_{n=1}^{\infty}</math>    b) <math>\left\{\frac{1}{\log(n+1)}\right\}_{n=1}^{\infty}</math>    c) <math>\{n^2\}_{n=1}^{\infty}</math>    d) All of these</p>	<b>D</b>
49)	<p>The sequence of real valued function <math>\{f_n\}_{n=1}^{\infty}</math> converges uniformly on <math>E</math> iff for <math>\epsilon &gt; 0</math> there exists <math>N \in \mathbb{I}</math> such that <math> f_n(x) - f_m(x)  &lt; \epsilon</math> <math>\forall m, n \geq N, \forall x \in E</math> this criteria is known as</p> <p>a) Euler's criteria                      b) Cauchy's criteria</p> <p>c) Monge's criteria                      d) None of these</p>	<b>B</b>
50)	<p>If <math>\{a_n\}_{n=1}^{\infty}</math> is a sequence of real numbers then <math>\sum_{n=1}^{\infty} a_n</math> is known as</p> <p>a) Partial sum                              b) Infinite sum</p> <p>c) Infinite series                            d) None of these</p>	<b>C</b>